

# Thermalization and condensation dynamics of a photon Bose-Einstein condensate

J. Klaers, J. Schmitt, T. Damm, D. Dung,  
C. Wahl, F. Vewinger, M. Weitz

Institute for Applied Physics, University of Bonn

Optics-2014, Philadelphia



# »Does a photon gas condense?«

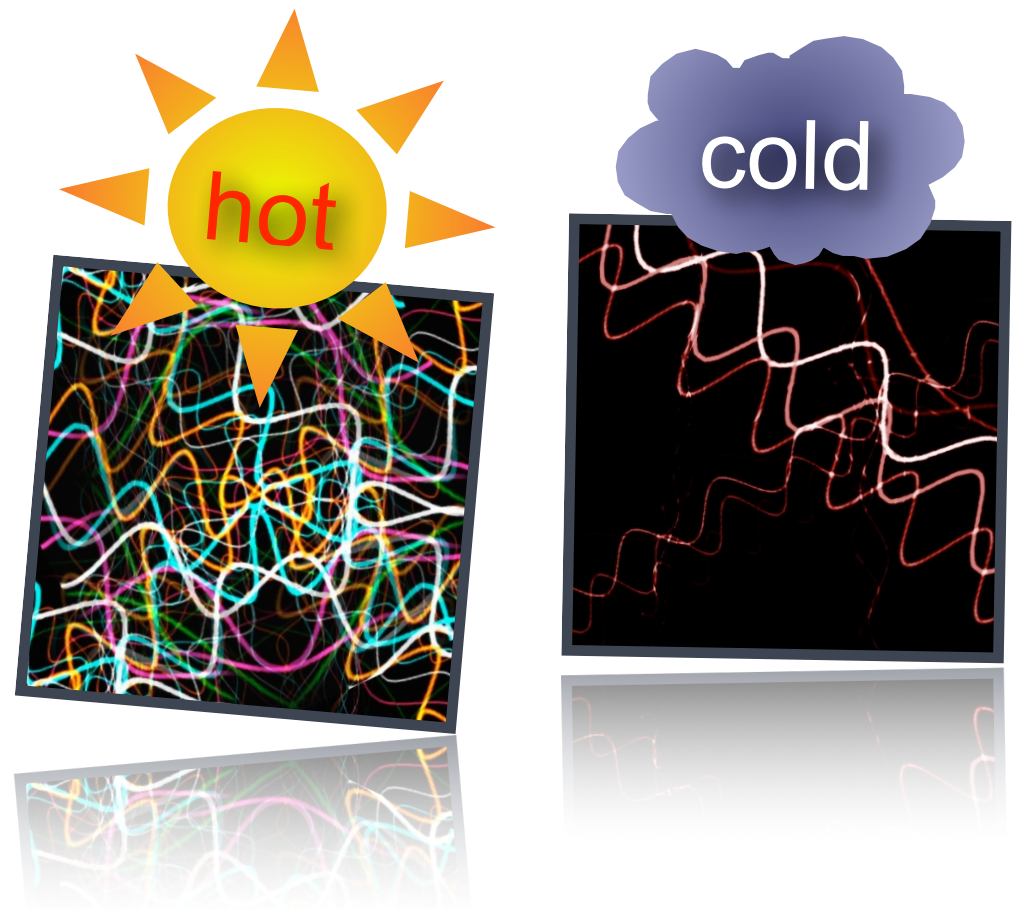
1

Its bosonic and ideal (interaction-free) nature should make a photon gas an obvious candidate for a Bose-Einstein condensation. **But:**

Planck`s blackbody radiation:

$$\nu_{\max} \propto T$$
$$U \propto T^4$$

(Wien, Stefan-Boltzmann)



At low temperatures, photons disappear in the cavity walls, instead of condensing into the cavity ground mode.

## »Related work«

### Compton scattering in plasmas

Y.B. Zel'dovich, E.V. Levich, Sov. Phys. JETP 28, 1287 (1969)

### Near-collinear four-wave mixing

e.g. R.Y. Chiao, Optics Communication 179, 157 (2000)

### Strong light-matter coupling / exciton polaritons

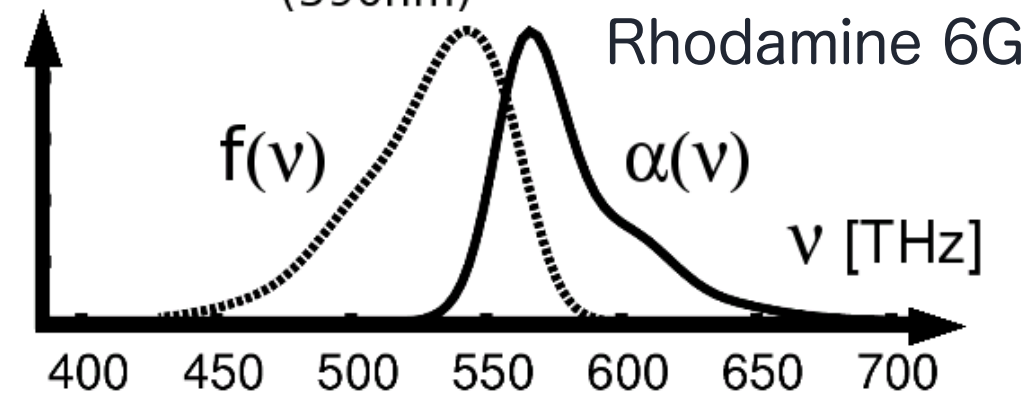
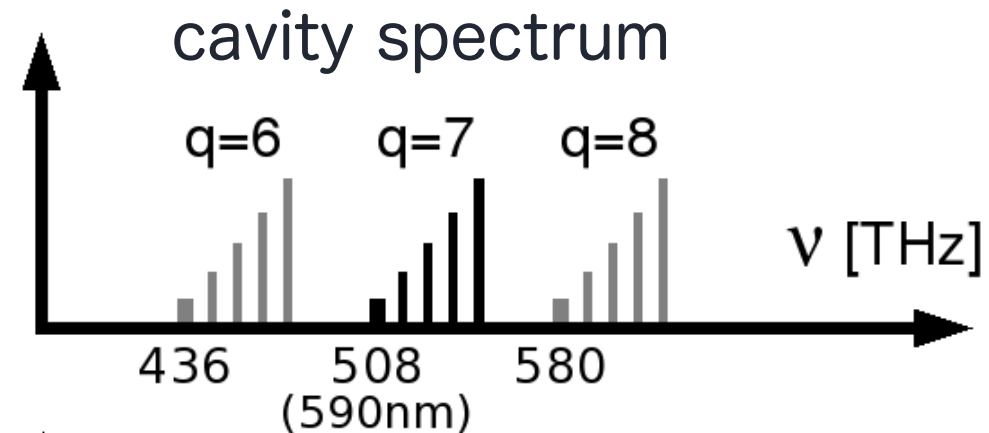
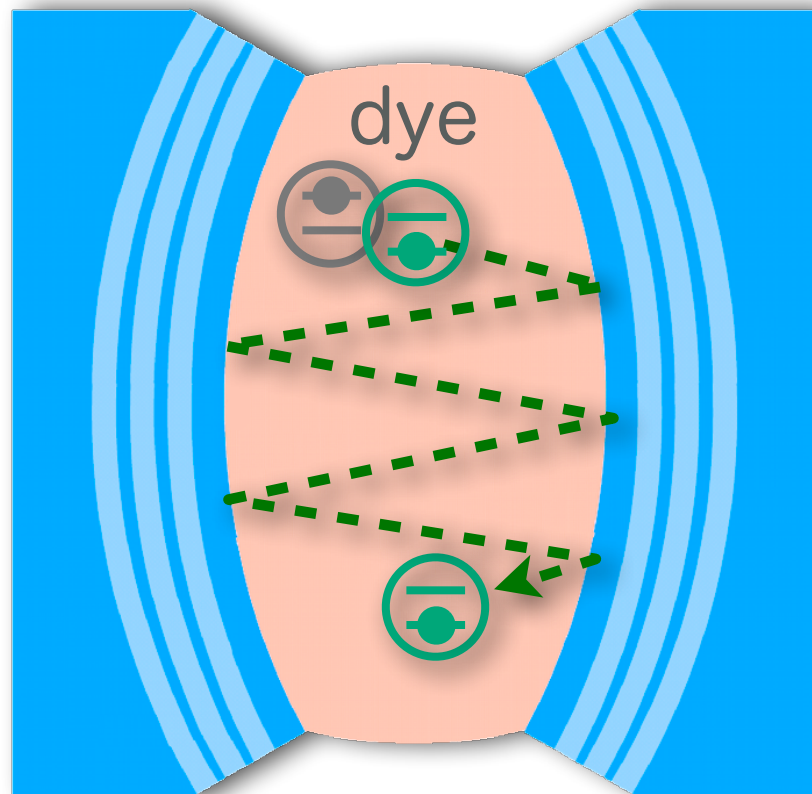
Review: H. Deng, H. Haug, Y. Yamamoto, Rev. Mod. Phys. 82, 1489 (2010)

### Classical wave condensation (nonlinear optics)

C. Sun et al, Nature Physics 8, 470 (2012)

# »2d photon gas in dye-microcavity«

3:



(Kennard, Stepanov)

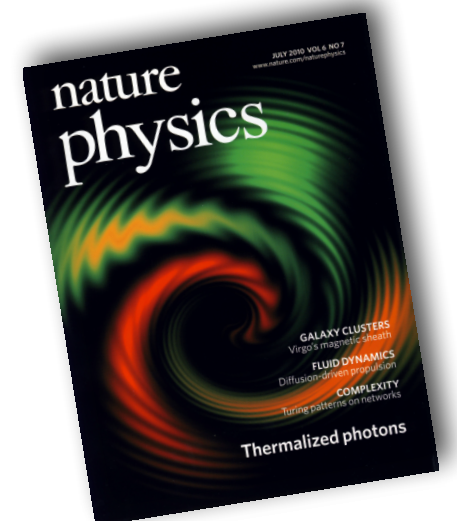
$$\frac{B_{21}(\omega)}{B_{12}(\omega)} = e^{-\frac{\hbar(\omega - \omega_{ZPL})}{k_B T}}$$

Klaers, Schmitt, Vewinger, Weitz, Nature 468, 545 (2010)

Klaers, Vewinger, Weitz, Nature Phys. 6, 512 (2010)

Schmitt et al., PRL 112, 030401 (2014)

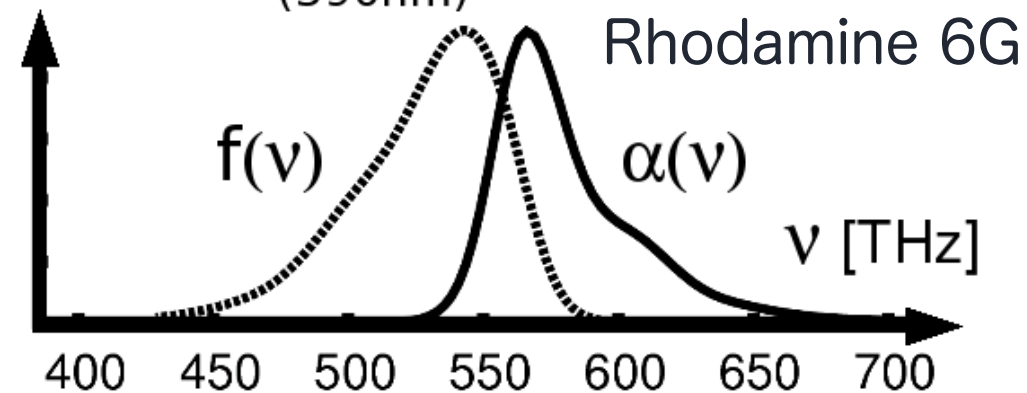
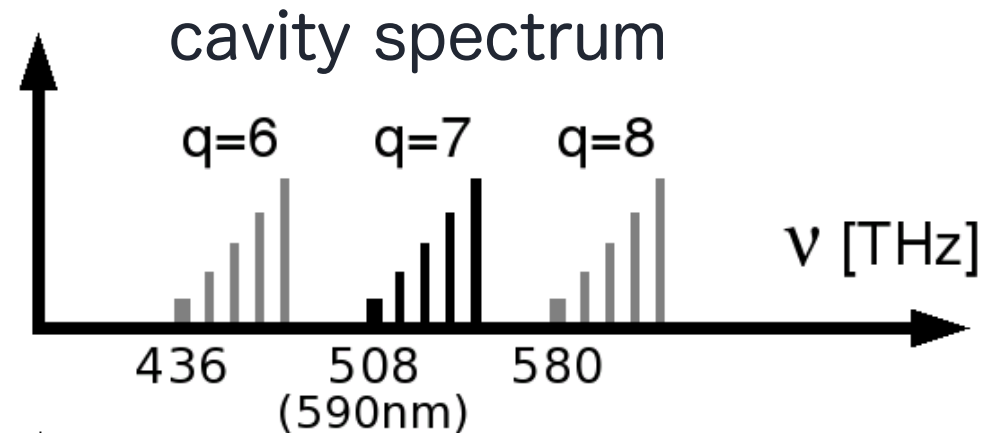
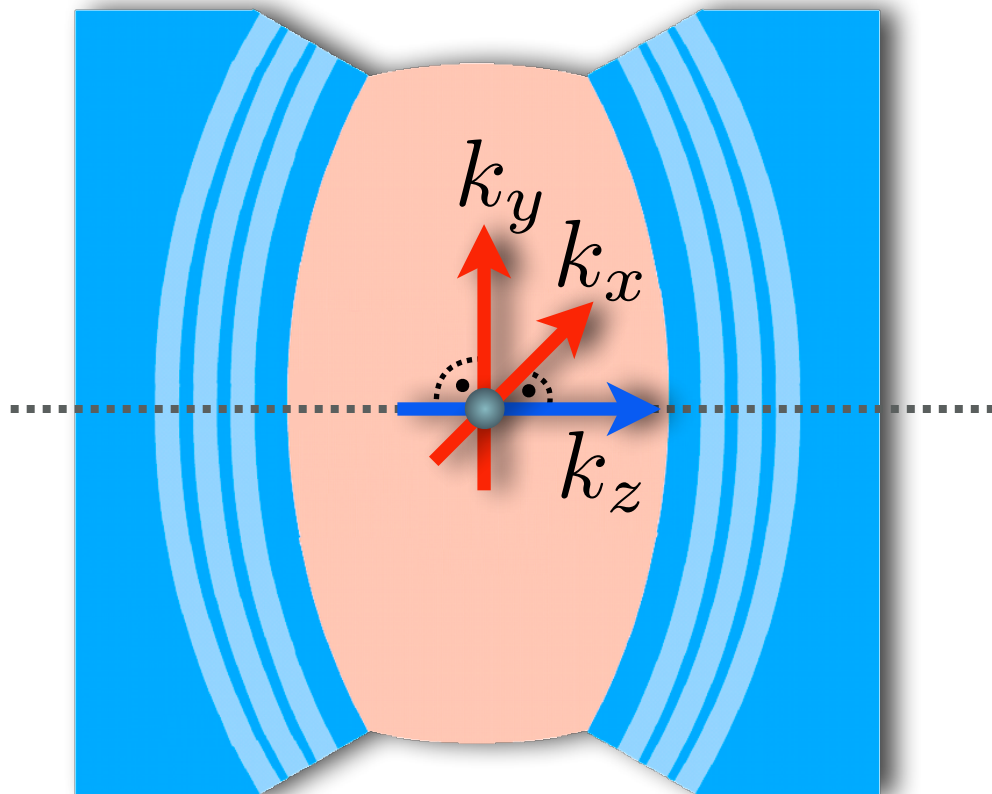
Klaers et al., PRL 108, 160403 (2012)





# »2d photon gas in dye-microcavity«

3:



(Kennard, Stepanov)

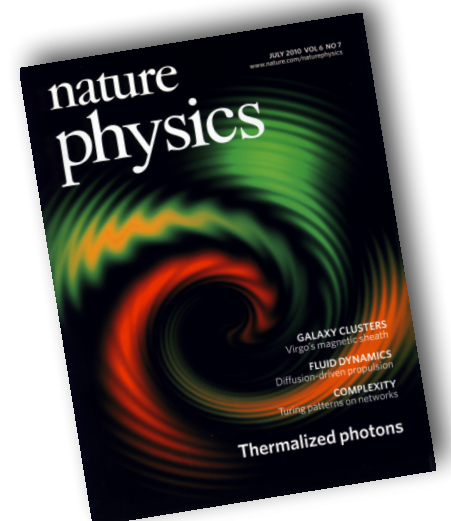
$$\frac{B_{21}(\omega)}{B_{12}(\omega)} = e^{-\frac{\hbar(\omega - \omega_{ZPL})}{k_B T}}$$

Klaers, Schmitt, Vewinger, Weitz, Nature 468, 545 (2010)

Klaers, Vewinger, Weitz, Nature Phys. 6, 512 (2010)

Schmitt et al., PRL 112, 030401 (2014)

Klaers et al., PRL 108, 160403 (2012)



# »Massive photons in a trap«

4:

Energy of cavity photons:

$$E \simeq m\tilde{c}^2 + \frac{(\hbar k_r)^2}{2m} + \frac{1}{2}m\Omega^2 r^2$$

mirror curvature

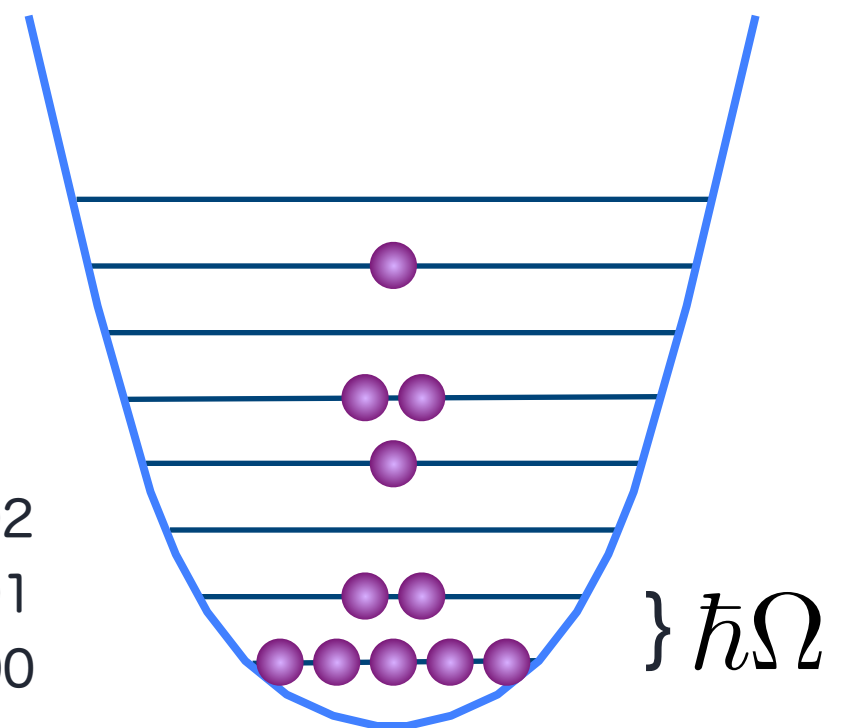
BEC @

$$T_c = \frac{\sqrt{3}\hbar\Omega}{\pi k_B} \sqrt{N}$$

$$m \simeq 10^{-36} \text{ kg}$$

$$\Omega \simeq 2\pi \cdot 40 \text{ GHz}$$

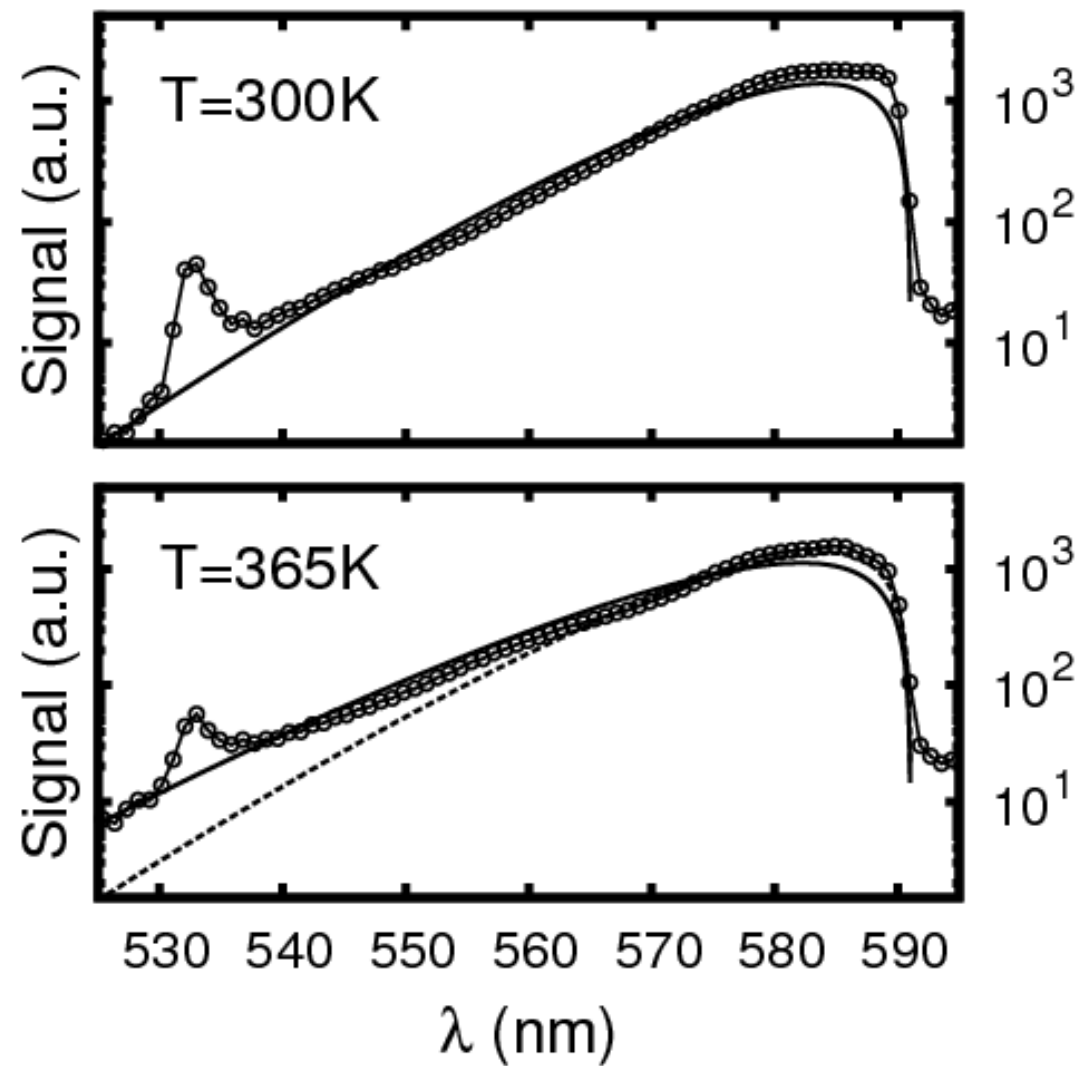
$\vdots$   
 TEM<sub>20</sub> TEM<sub>11</sub> TEM<sub>02</sub>  
 TEM<sub>10</sub> TEM<sub>01</sub>  
 TEM<sub>00</sub>



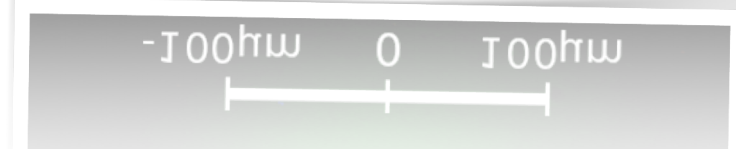
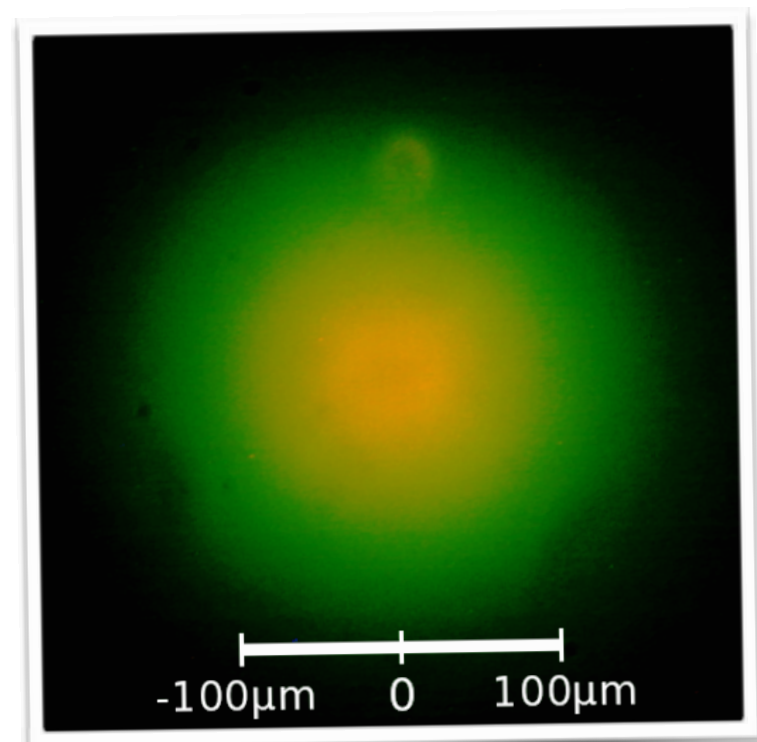
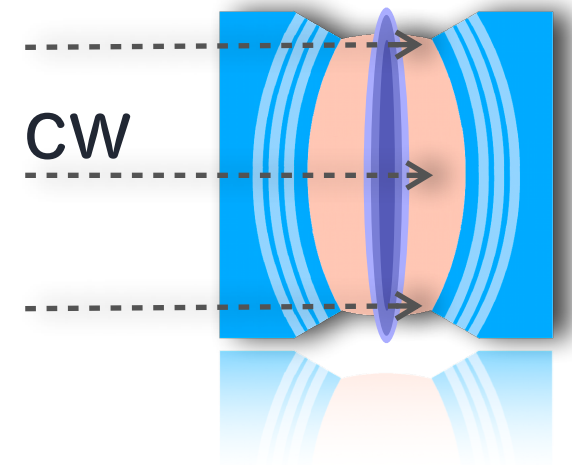
# »Thermalization«

5:

## Bose-Einstein distribution



$$N \approx 50$$

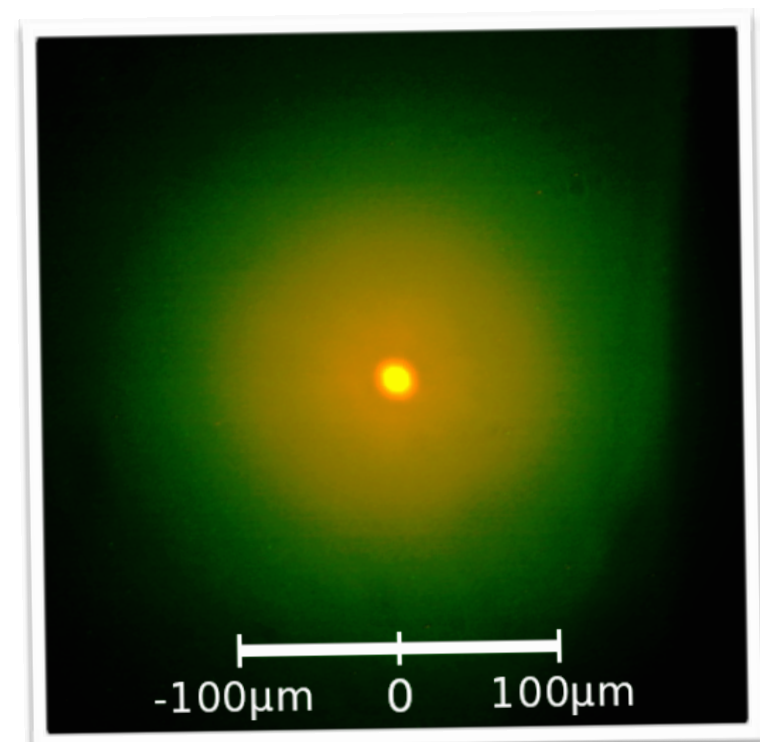
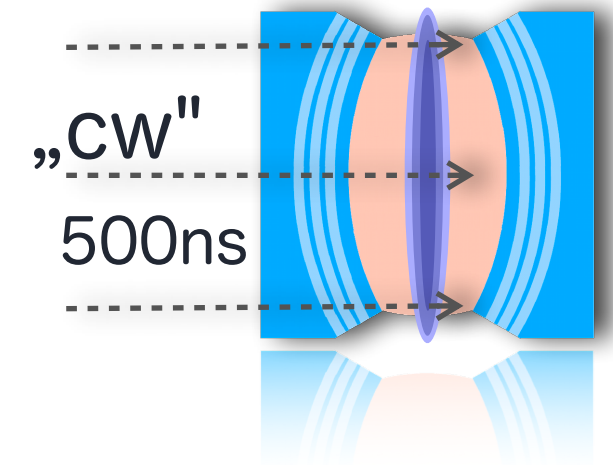
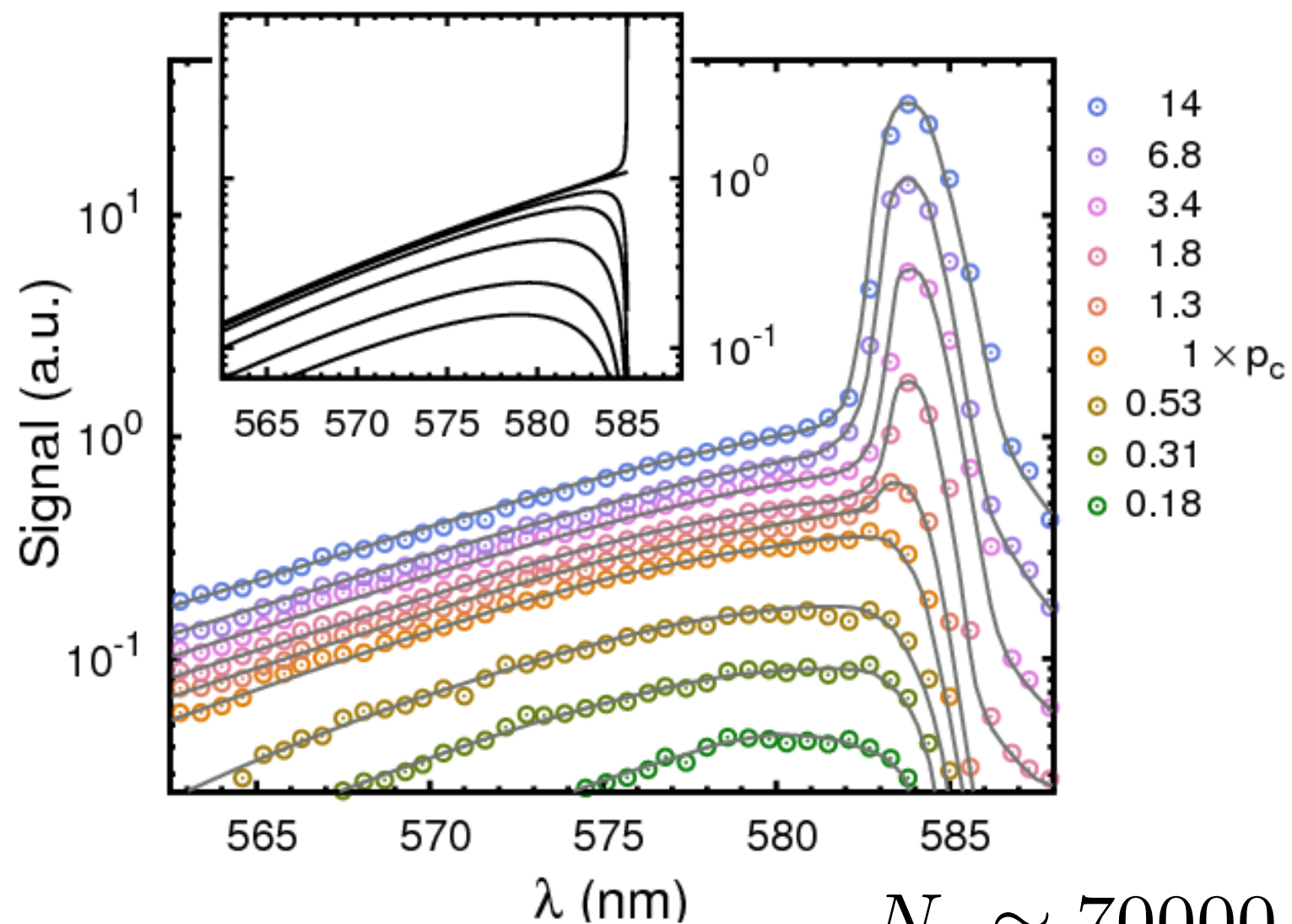


Nature Phys. 6, 512 (2010)

# »Bose-Einstein condensation«

6:

300K Bose-Einstein distributions  
for increasing chemical potential



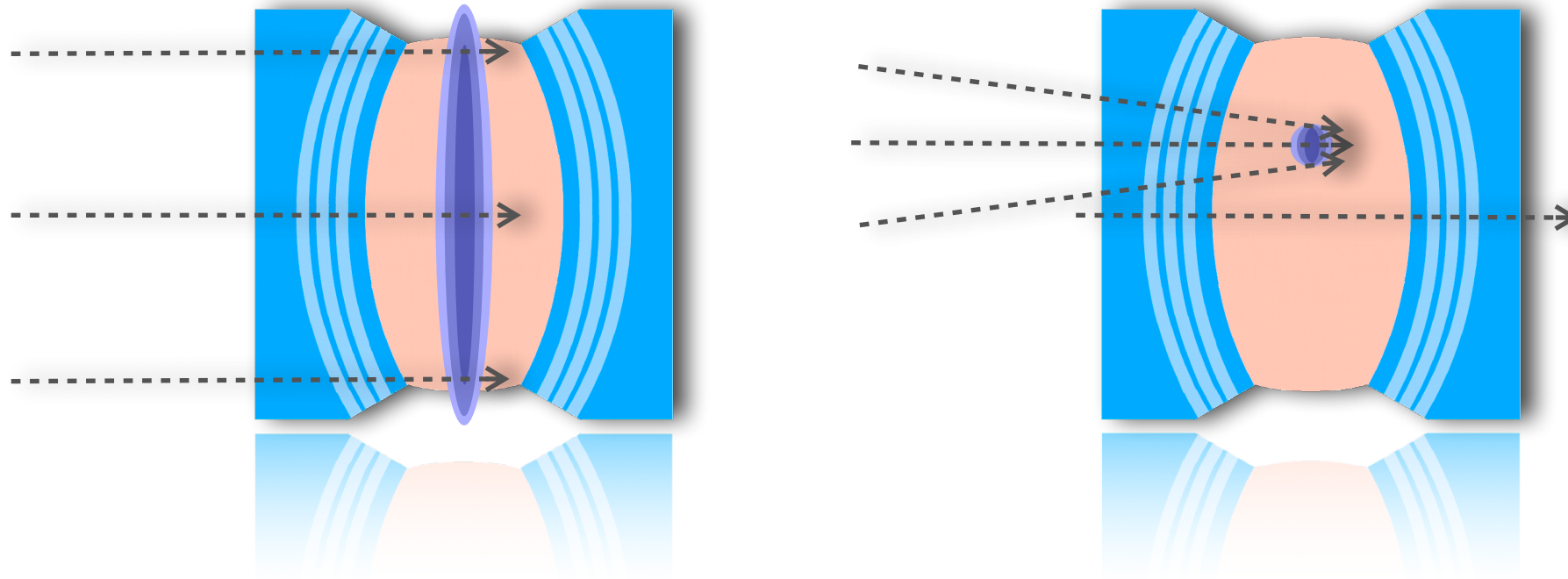
Nature 468, 545 (2010)



# »Thermalization dynamics«

7:

- ▷ Set initial excitation level of medium



- ▷ Set coupling strength to heat bath

$\lambda_0=600\text{nm}$

$\lambda_0=585\text{nm}$

$\lambda_0=570\text{nm}$

coupling to heat bath

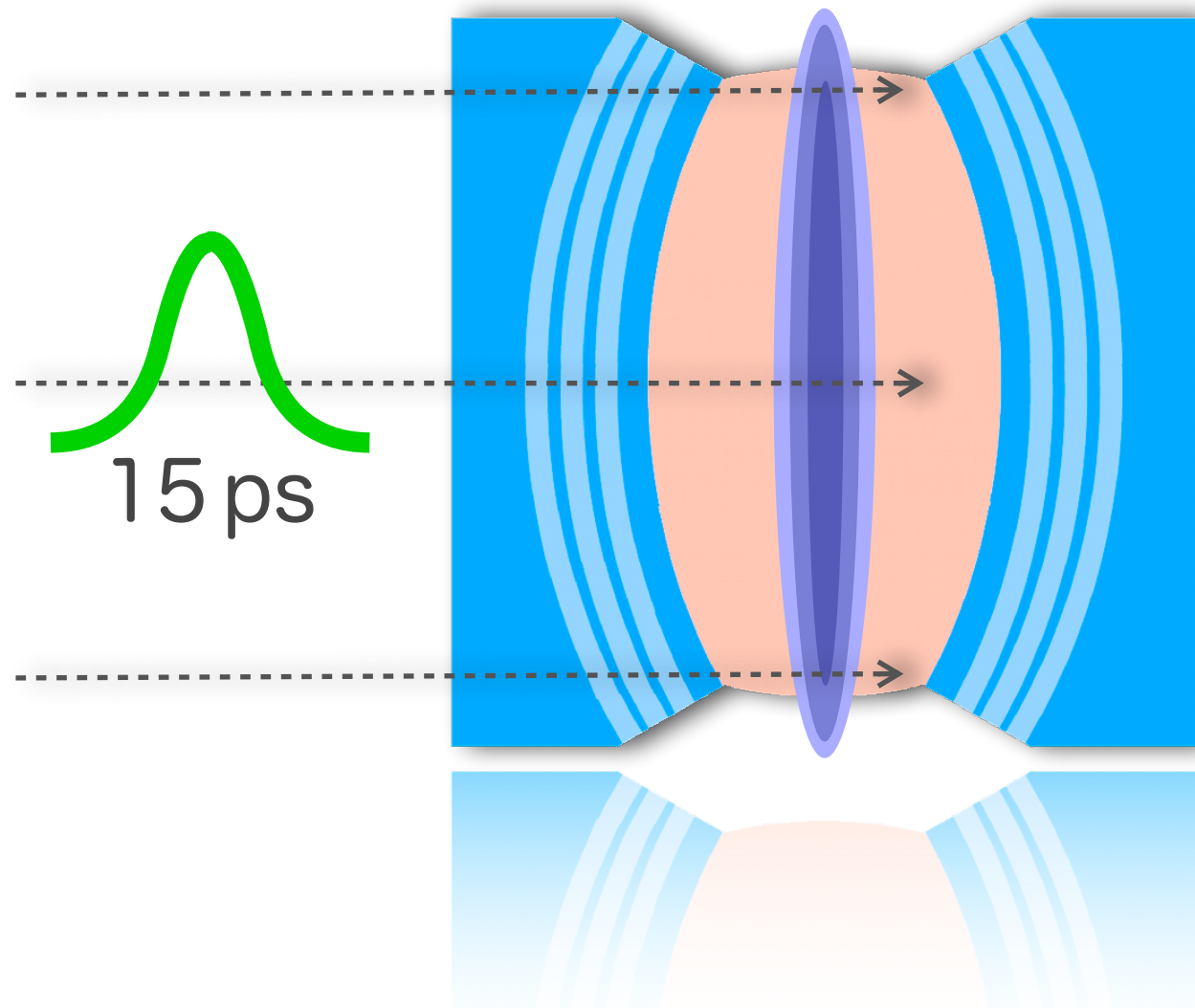




# »Spatially homogeneous excitation«

8:

temporally: 15 ps  
spatially: homogeneous

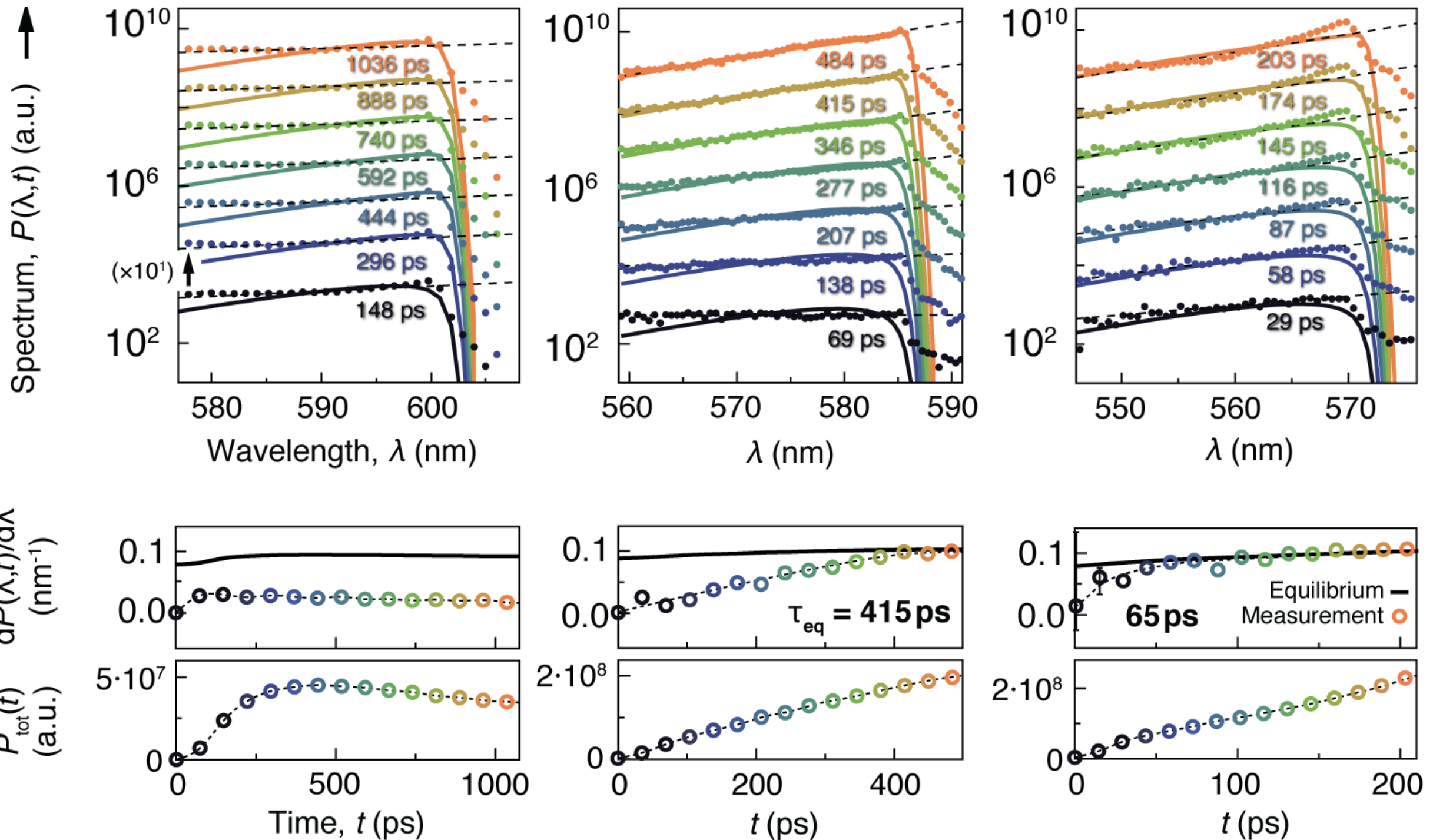


# coupling to heat bath

$\lambda_0=601\text{nm}$

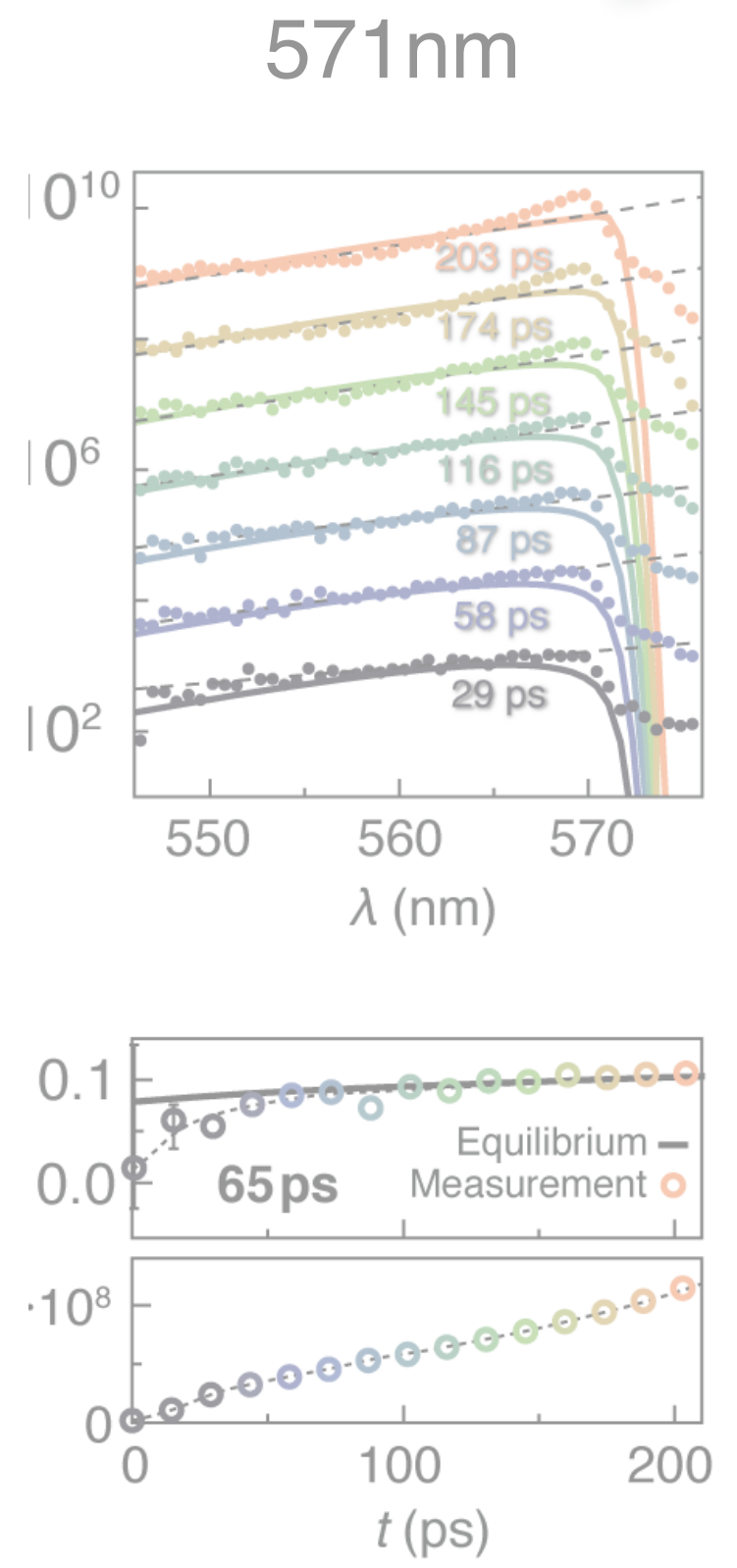
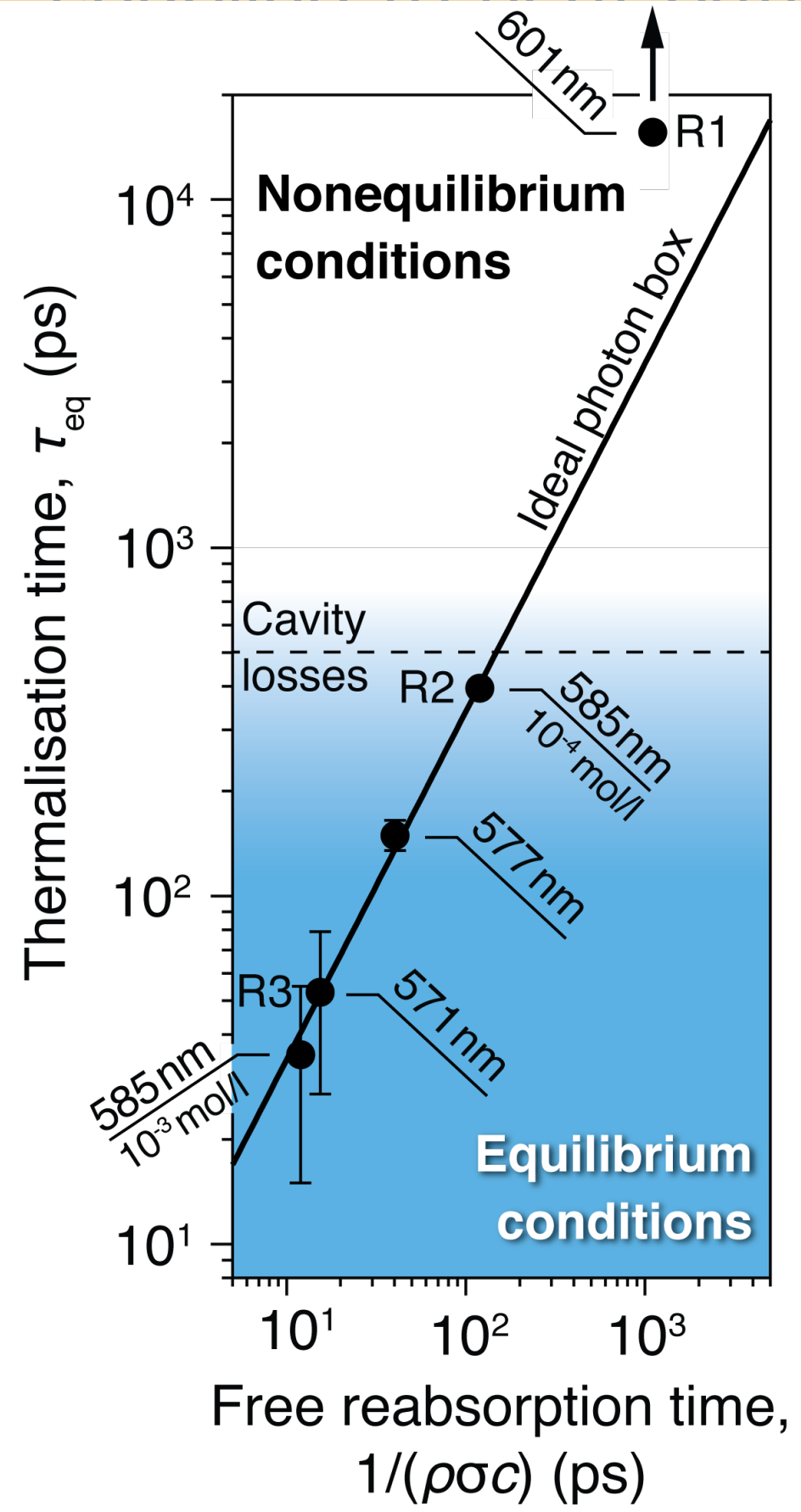
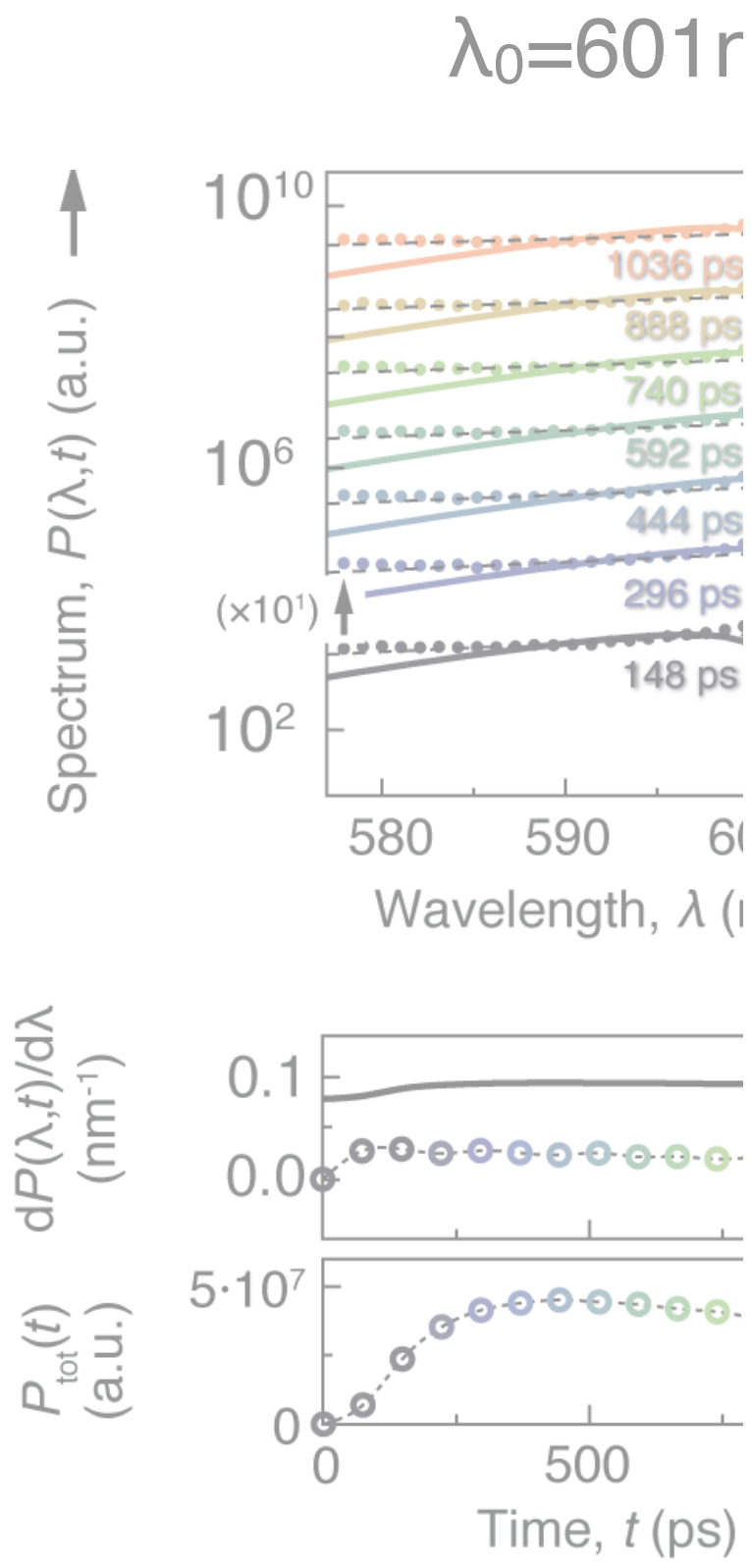
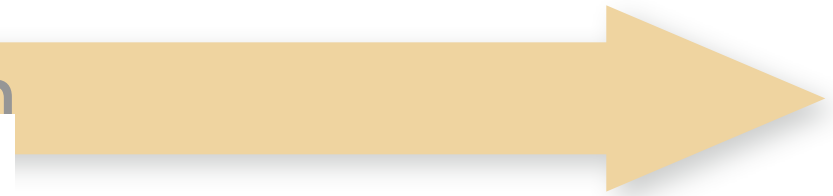
585nm

571nm



[EQ. vs Non-EQ.: Kirton, Keeling, PRL 111, 100404 (2013)]

coupling to heat bath



[EQ. vs Non-EQ.: Kirton

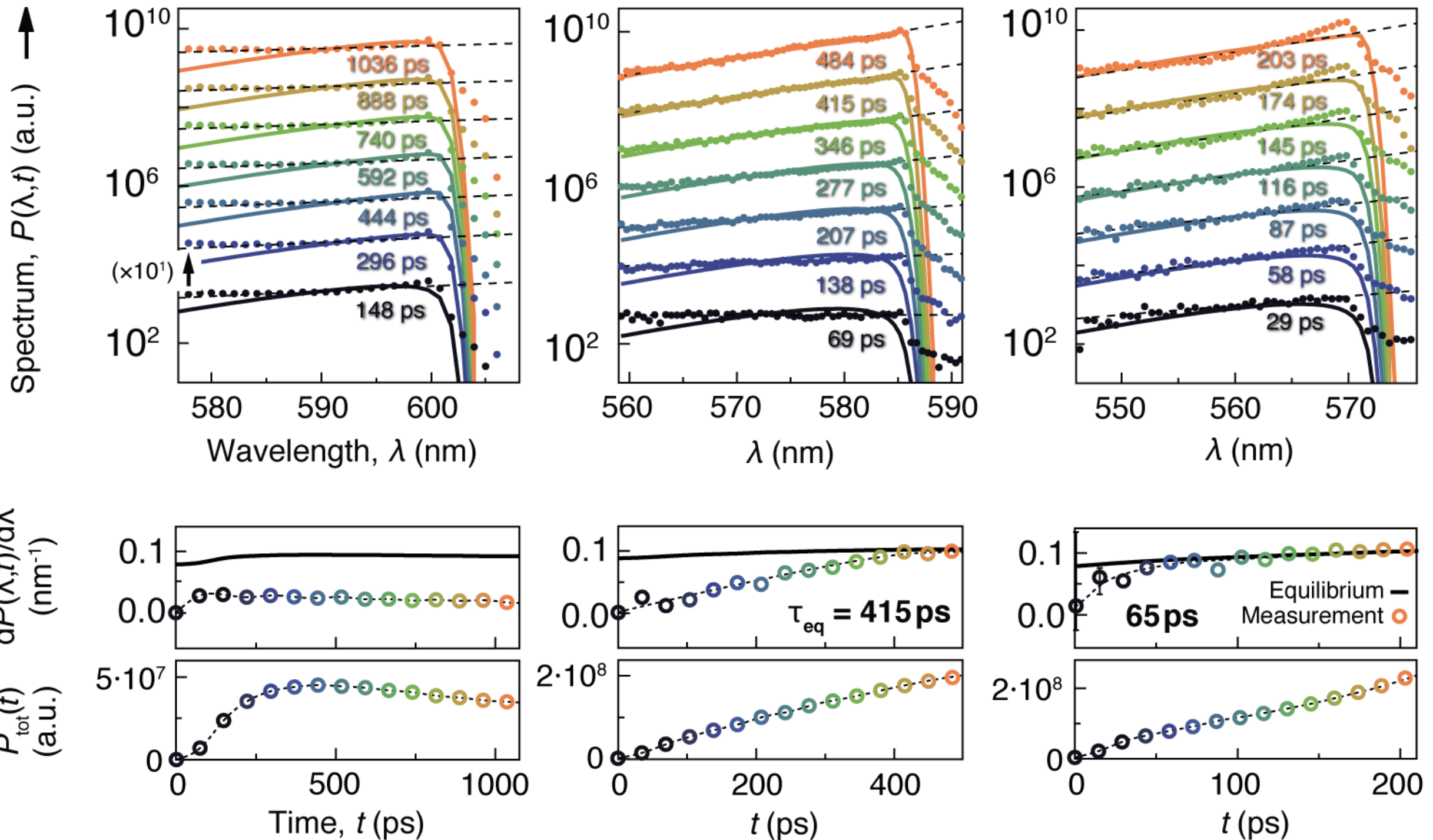
)]

# coupling to heat bath

$\lambda_0=601\text{nm}$

585nm

571nm



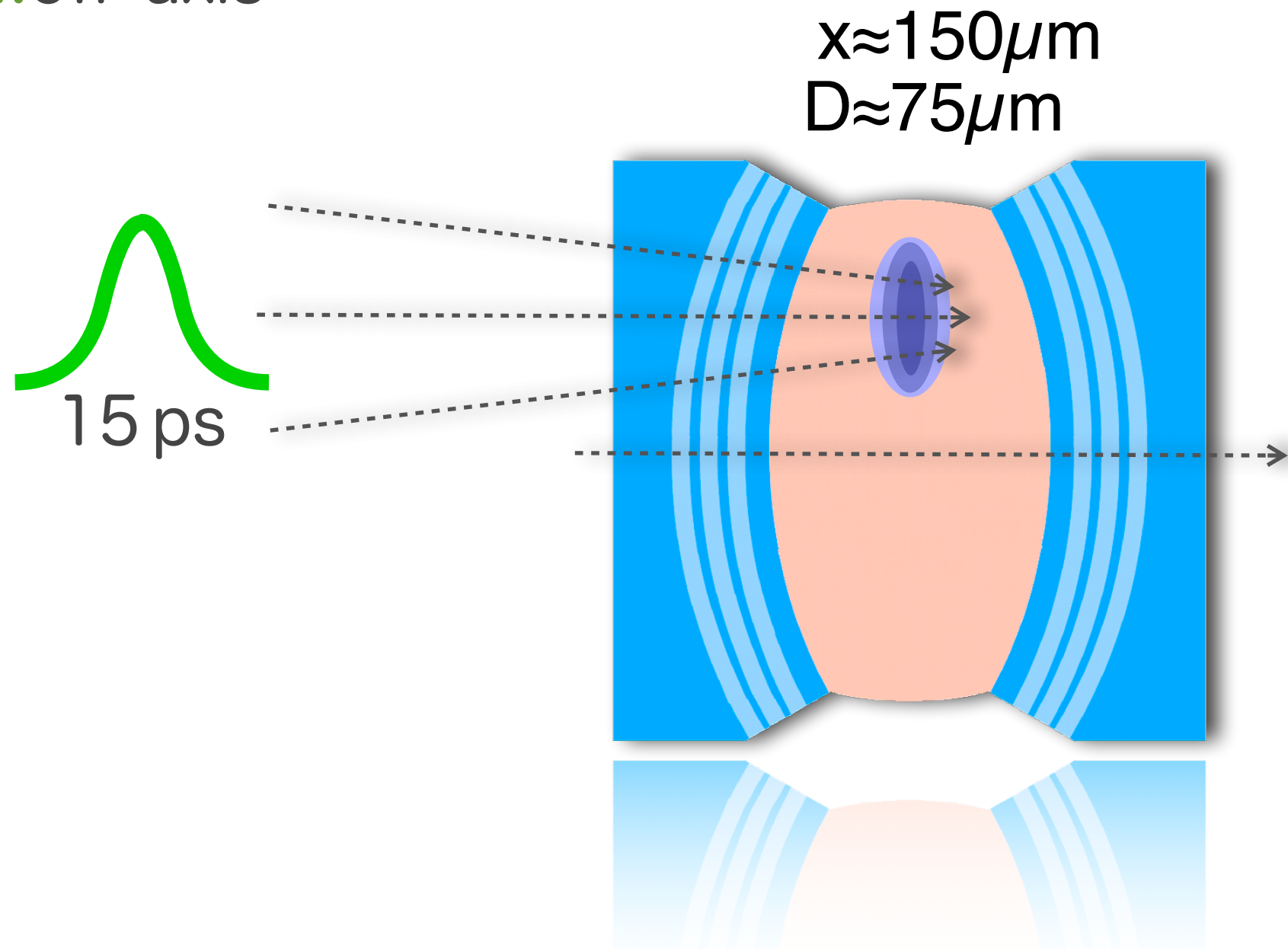
[EQ. vs Non-EQ.: Kirton, Keeling, PRL 111, 100404 (2013)]



# »Spatially inhomogeneous excitation«

10:

temporally: 15 ps  
spatially: off-axis





# »Spatially inhomogeneous excitation«

11:

coupling to heat bath

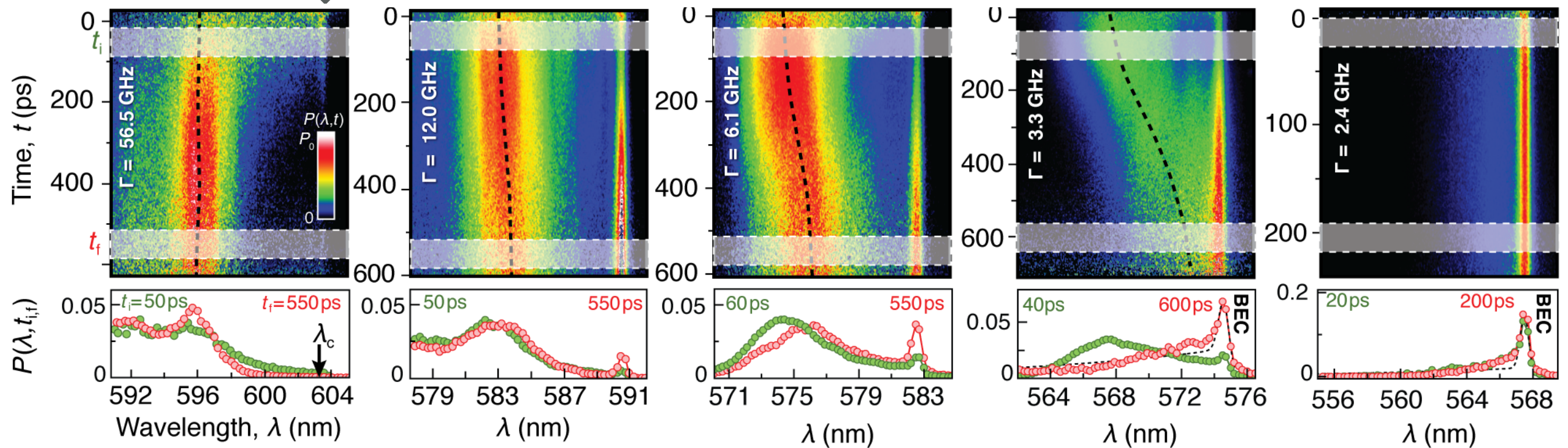
$\lambda_0 = 603 \text{ nm}$  ↓

591 nm

582 nm

574 nm

567 nm



# »(Thermo-)optical lattices«

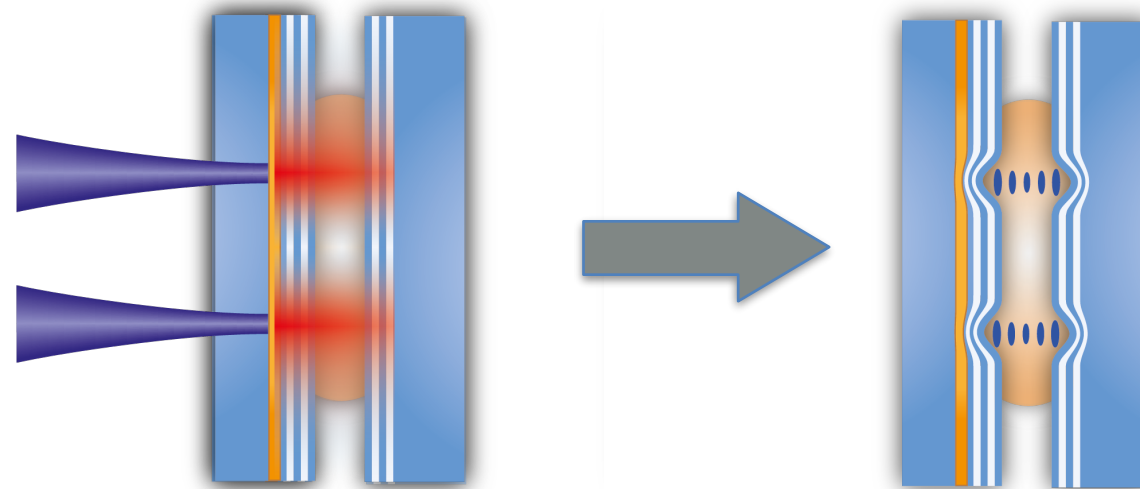
12:

- ▷ reversible microstructuring technique
- ▷ based on local index changes of a thermo-sensitive polymer
- ▷ generates attractive potentials



pNIPAM

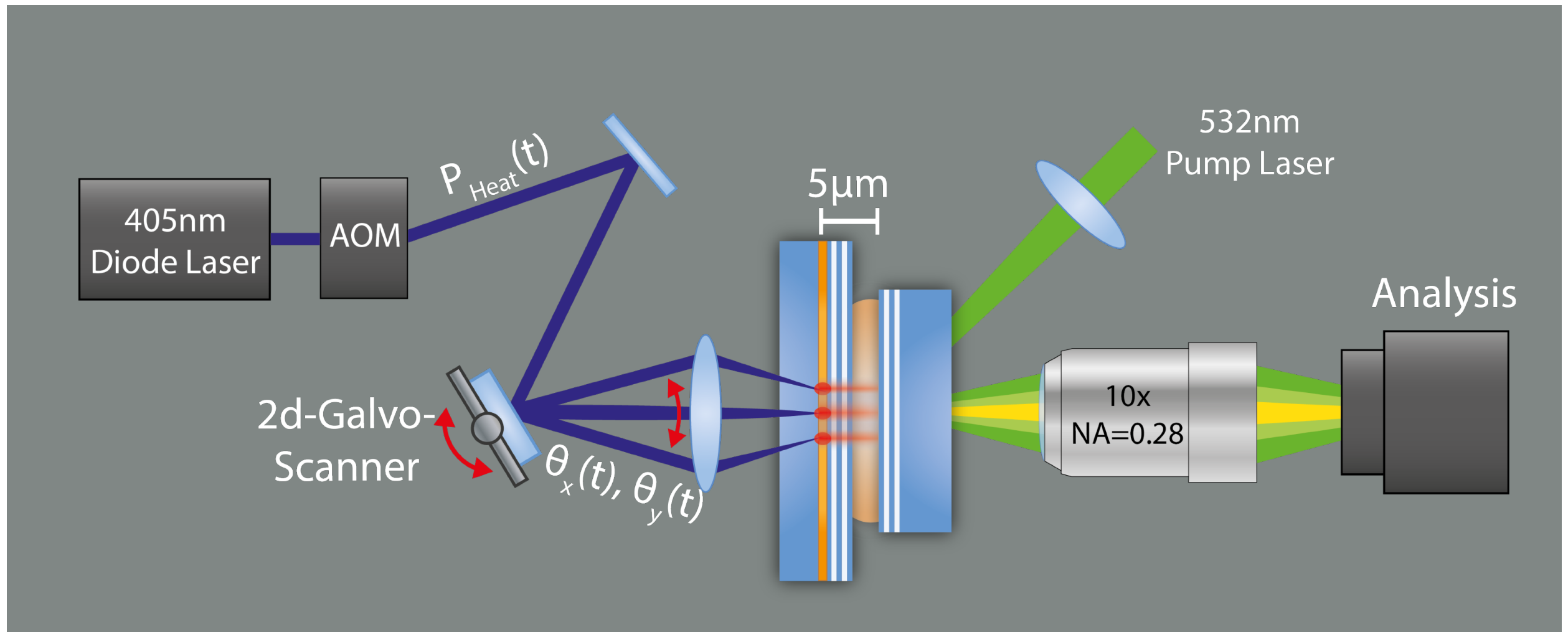
„heating“ beam  
@405nm



local temperature  $>33^{\circ}\text{C}$

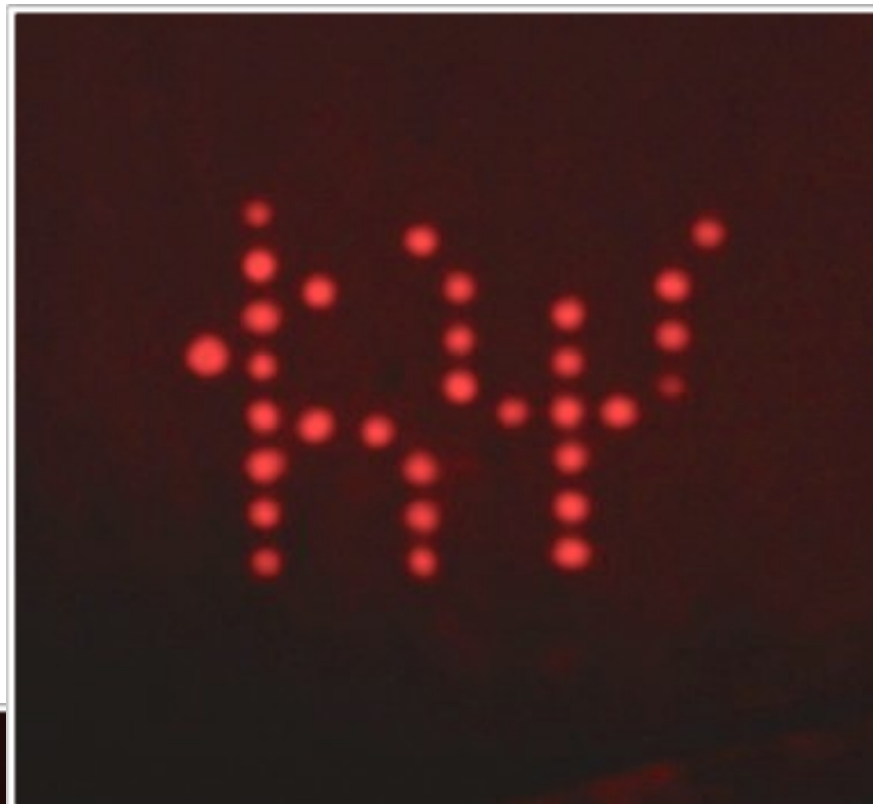
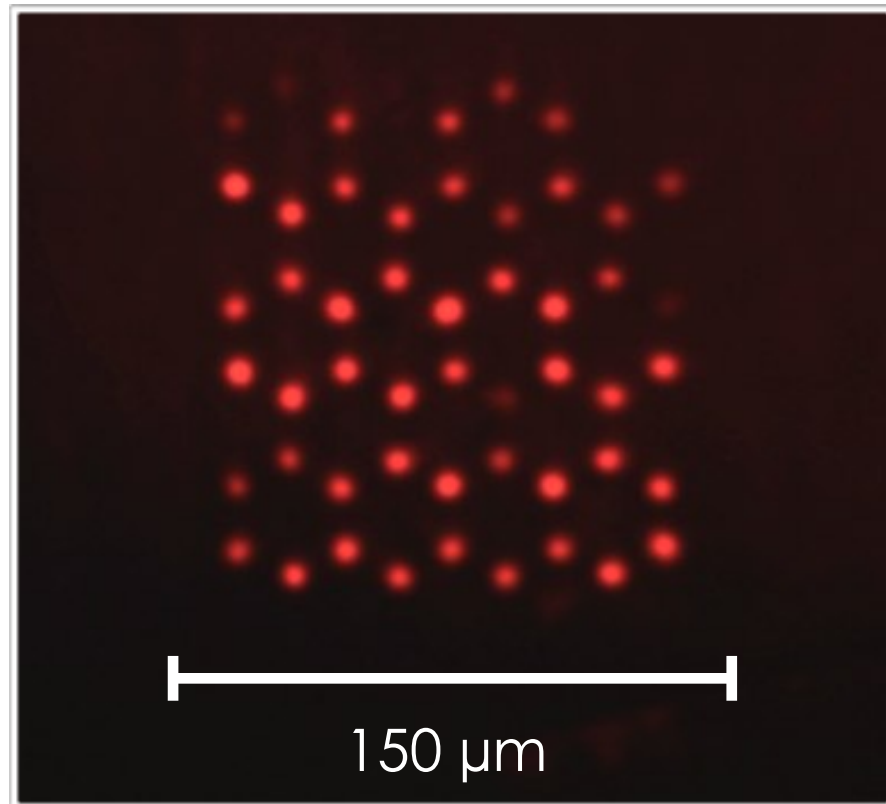
# »(Thermo-)optical lattices II«

13



# »Lattices of micro-condensates«

14



1. A photon gas can show Bose-Einstein condensation, if the thermalisation process is restricted to two motional degrees of freedom.
2. The thermal energy distribution of the photon gas is reached on a timescale given by the photon reabsorption time.
3. Optical lattices can be induced by generating local heat gradients within a thermo-sensitive polymer.





# Photon BEC team @Bonn

Julian Schmitt (PhD)

Tobias Damm (PhD)

David Dung (PhD)

Christian Wahl (PhD)

Qi Liang (Master)

Frank Vewinger (Postdoc)

Jan Klaers (Postdoc)

Martin Weitz (Head)